

Optimizing for a Target Distribution

INTRODUCTION

This knowledge base article will demonstrate how to use FRED Optimum's optimization capability to modify a system and achieve a desired irradiance distribution. The system being modified is a PMMA light pipe. Six variables control the shape of the light pipe and the optimization merit function aberration is the RMS difference between the current light distribution and the ideal light distribution. The optimization merit function aberration is a user-defined script.

SYSTEM LAYOUT

The rear and profile views of the light pipe geometry are shown in Figure 1.



Figure 1 - Light pipe geometry rear (left) and profile (right) views.

As shown below in Figure 2, two surfaces in the light pipe are surfaces of revolution formed from two 2nd degree NURB curves. The optimization process uses the positions and weights of some of the control points as variables in the optimization process to deform the shapes of the light pipe surfaces. Shown schematically, the green dots are the control points that will be manipulated during the optimization.





Figure 2 – Side view of the light pipe showing the two surfaces being modified during the optimization. The green dots are control points being modified during the optimization.

A random plane emitter is embedded in the cylindrical tube portion of the light pipe. In the starting configuration, the irradiance distribution at the analysis surface is shown in Figure 3.



Figure 3 - Analysis surface irradiance distribution for the starting configuration.





The desired distribution to be achieved after optimization is shown in Figure 4.

Figure 4 - Desired distribution to be achieved after optimization.

Notice in the FRED file that there is a second source called IdealDistribution with an associated analysis plane called IdealAnalysis. In the FRED model this source represents the ideal distribution to be achieved at the end of the optimization as shown in Figure 4.

OPTIMIZATION VARIABLES

As mentioned previously, the variables in the optimization will be the positions and weights of several control points in the base curves defining the surfaces of revolution in the light pipe. The variables are listed below and can be accessed within the FRED file itself by navigating to Menu > Optimize > Define/Edit.

Variable	Lower Limit	Upper Limit	Fraction Step
Geometry.Shell.Curve 1			
CP 0 Z-position	-4	1	0.5
CP 1 Y-position	0	10	0.5
CP 1 Weight	0	2	0.5
Geometry.TIRSurf.Curve 2			
CP1 Y-position	0	4	0.5
CP1 Z-position	-4	0	0.5
CP1 Weight	0	2	0.5
CP2 Z-position	-4	0	0.5





OPTIMIZATION ABERRATION

The merit function aberration being used is a User-defined script, since there currently exists no default method for importing a target distribution into the optimizer. The script used to implement the aberration to target a distribution is provided below with comments.

Sub EvalMzrAber(ByVal g_ana&, ByRef g_aber#, ByRef g_success As Boolean)

'dimension all of the variables being used in the script

Dim arnStats As T_ARN_2D_CELL_STATS

Dim analdeal As Long

Dim rndArn As Long, idealArn As Long, count As Long, ii As Long, jj As Long

Dim data() As Double, totDiffPower As Double, totRndPower As Double, totIdealPower As Double

Dim dAdirX As Double, dAdirY As Double, dAdirZ As Double

Dim dBdirX As Double, dBdirY As Double, dBdirZ As Double

Dim success As Boolean

'Find node number of the ideal source analysis plane. This script will use the irradiance distribution from this analysis surface to compare against with the irradiance distribution in the analysis surface of the light guide (given by g_ana in the script).

anaIdeal = FindFullName("Analysis Surface(s).IdealAnalysis")

'Store the ideal irradiance distribution in an ARN (Analysis Results Node) and normalize the power. From the ARN we can easily transfer the data into and from a double array for manipulation using the ARNGetDataAsDoubleArray and ARNSetDataAsDoubleArray.

count = IrradianceToARN(anaIdeal, "idealARN", idealArn)

totIdealPower = ARNComputeTotalPower(idealArn)

ARNGetDataAsDoubleArray idealArn, data()

For ii = 0 To UBound(data,1)

For jj = 0 To UBound(data,2)

data(ii,jj) = data(ii,jj)/totIdealPower

Next jj

Next ii

December 13, 2010



ARNSetDataAsDoubleArray idealArn, data()

'Now we go get the irradiance distribution from the analysis surface at the exit of the light pipe (g_ana) and normalize its power.

count = IrradianceToARN(g_ana, "randomARN", rndArn)

totRndPower = ARNComputeTotalPower(rndArn)

ARNGetDataAsDoubleArray rndArn, data()

For ii = 0 To UBound(data,1)

For jj = 0 To UBound(data,2)

data(ii,jj) = data(ii,jj)/totRndPower

Next jj

Next ii

ARNSetDataAsDoubleArray rndArn, data()

'Now we difference the two irradiance results from the ideal analysis and the light pipe analysis using the command ARNLinearCombination. The results of the combination are stored in idealArn. We also loop over the data values and take the absolute value to make all points positive.

ARNLinearCombination(-1, idealArn, 1, rndArn)

ARNGetDataAsDoubleArray idealArn, data()

For ii = 0 To UBound(data,1)

For jj = 0 To UBound(data,2)

data(ii,jj) = Abs(data(ii,jj))

Next jj

Next ii

ARNSetDataAsDoubleArray idealArn, data()

'Finally, we get compute the statistics for the difference in the datasets and set the aberration return value g_aber to be the RMS.

ARNCompute2DCellStatistics idealArn, arnStats

g_aber = Sqr(arnStats.AvgSqNonZeroCellVal)



'Delete the ARN nodes when done (memory management)

success = ARNDelete(idealArn)

success = ARNDelete(rndArn)

'Perform a check such that a successful evaluation is when the power in the ARN containing the light pipe results is greater than zero.

g_success = totRndPower > 0

End Sub

OPTIMIZATION RESULTS

The comparison between the light pipe exit distribution and the target distribution are shown below for three optimization sets of 20 iterations each using all variables.



Figure 5 - Irradiance distributions for the light pipe (Top) and ideal distribution (Bottom) after 3 sets of 20 optimization iterations.